

Comparison of Daisy and Daycent N₂O- processes

As far as I could unravel

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Background

- This all started with a review:




REVIEW
<https://doi.org/10.1071/SR22009>

SOIL RESEARCH

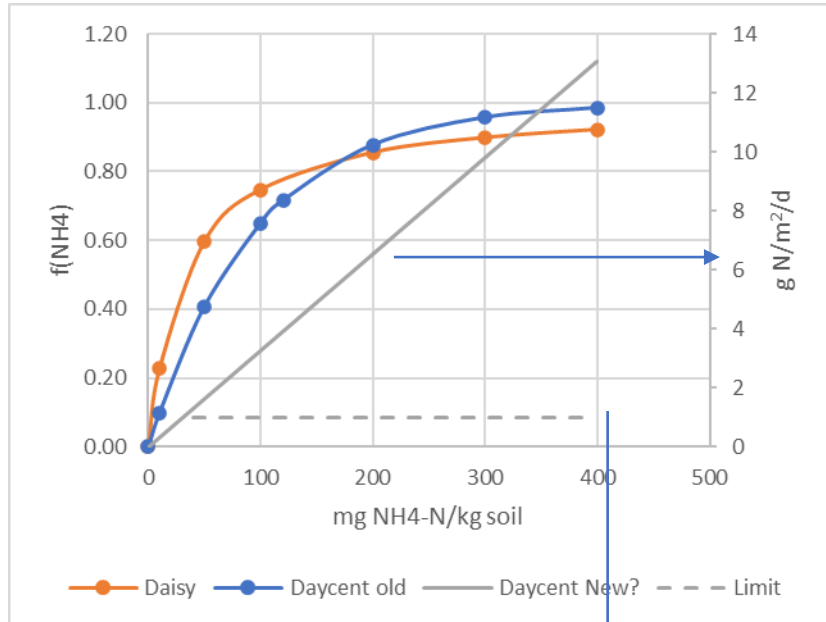
2023

Modelling nitrous oxide emissions: comparing algorithms in six widely used agro-ecological models

Hongtao Xing^{A,B}, Chris. J. Smith^{A,*} , Enli Wang^A, Ben Macdonald^A  and David Wårlind^{A,C}

- The article shows quite large differences between models and process-interpretation 😞.
- Many people wants something implemented in Daisy – but what?

Nitrification



Dependency on NH4+.

← Daisy ($\xi_n = \frac{V_n(T,h) N_{am}}{K_n + N_{am}}$) and Old Daycent, curved.

The Daycent relationship has changed in the recent code to a linear relationship.

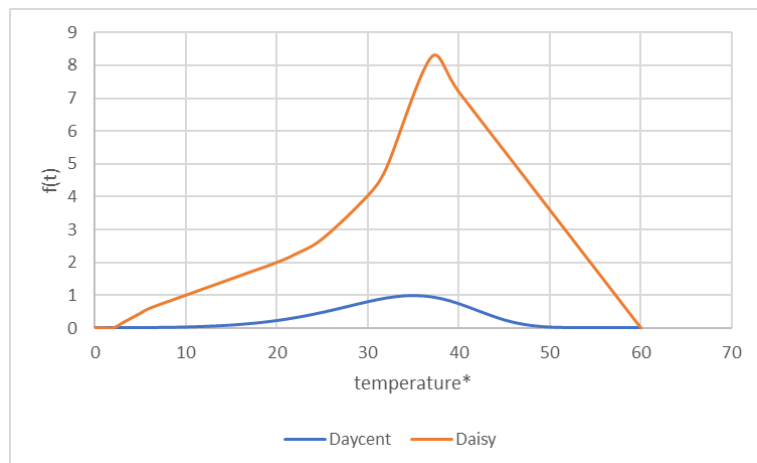
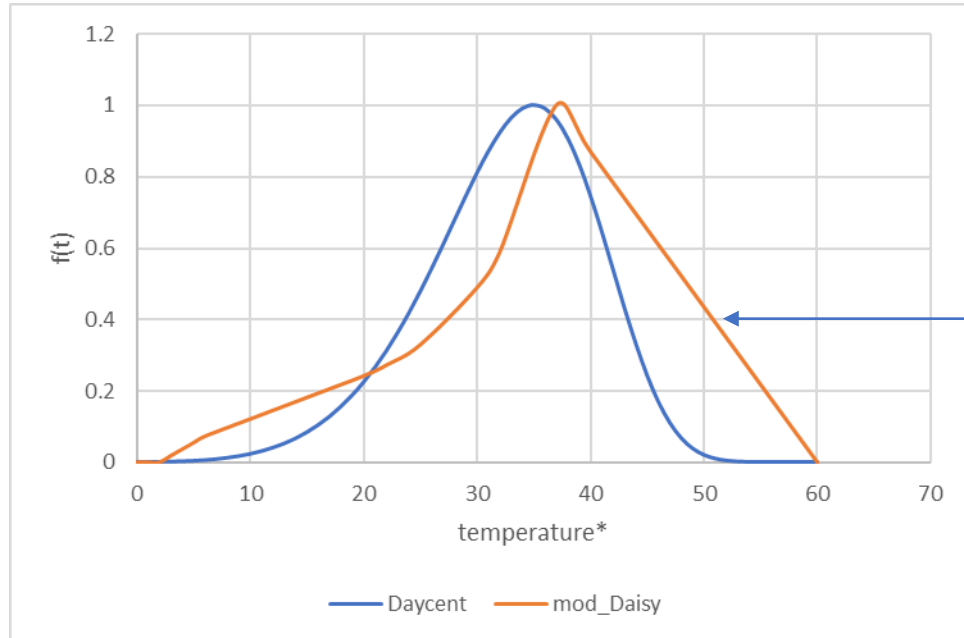
Best guess:

$\text{absoluteMaxRate} = \min(\text{MaxNitAmt}, *ammonium * \text{MaxRate})$

Maxrate = 0.15 (day⁻¹?); *ammonium [g NH₄-N m⁻²]

MaxNitAmt= site specific parameter; suggested value in code commentary: 1.0

Nitrification – temperature relationship



Daisy:

the temperature is the soil temperature in the layer in question. The Daisy temperature curve is normalised to max temp (37 °C) in top figure.

$$f_n^T = \begin{cases} 0 & T \leq 2 \\ 0.15 \cdot (T - 2) & 2 < T \leq 6 \\ 0.1T & 6 < T \leq 20 \\ \exp(0.47 - 0.027T + 0.00193T^2) & 20 < T \leq 37 \\ f_d^T(37) \cdot \left(1 - \frac{(T - 37)}{(60 - 37)}\right) & 37 < T \leq 60 \end{cases}$$

Daycent:

- maxT = long term average maximum monthly air temperature of the hottest month (°C).
- Soil temp = average of 2 top layers.

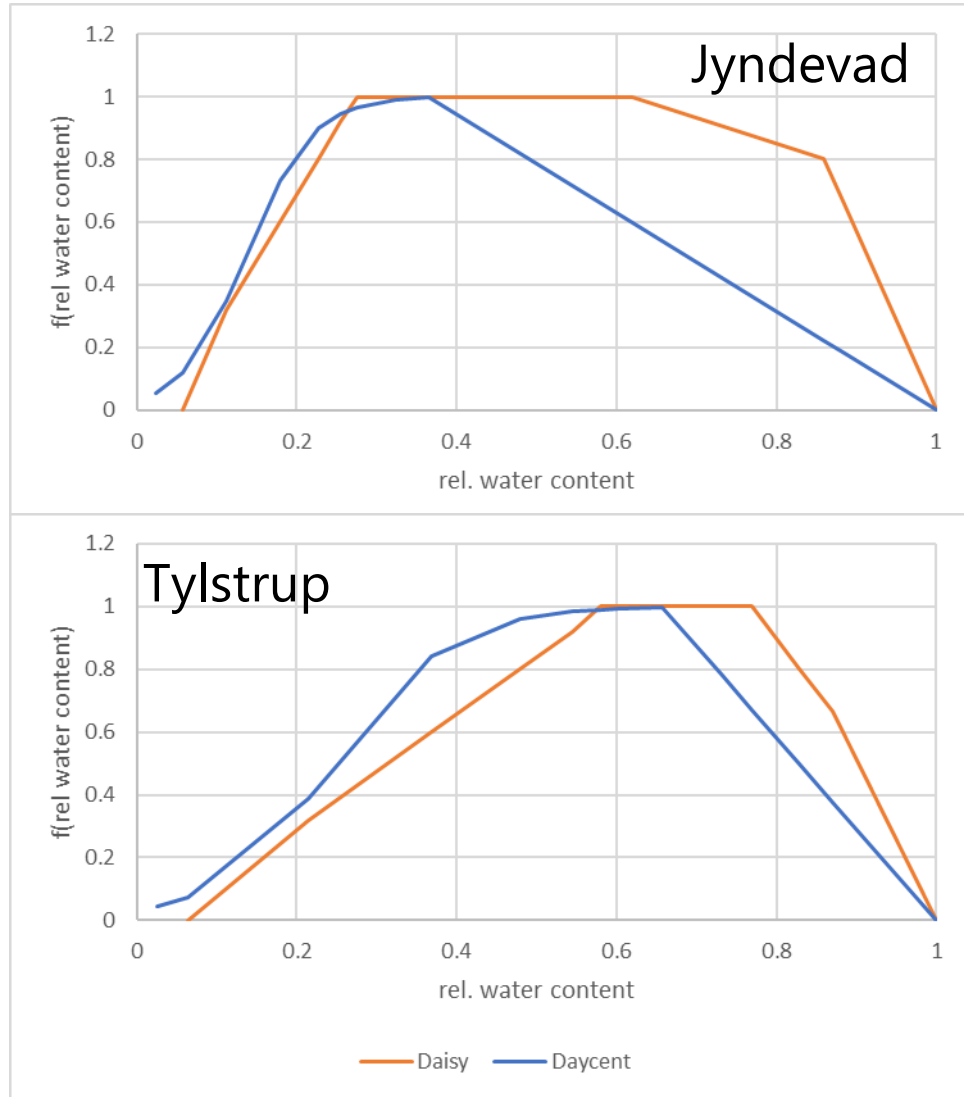
If maxT < 35°C

T* = soil temp + (35-maxT) else

Toppoint of the temp-curve moves to maxT and

T* = soil temp.

Nitrification – soil water



Daisy:

0 at pF 0 and 5; 1 between pF 1.5 and 2.5.

Daycent:

$1/(1+30*\exp(-9.0*avg_rel_wc))$ to FC, linear decline from FC to θ_{sat} .

Avg_rel_wc is relative to water content at FC

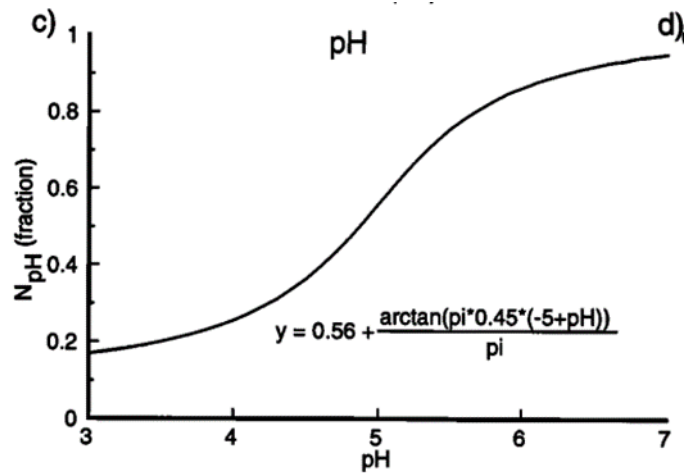
Jyndevad sand, 15 cm.

Field cap. is set to pF2. If 1.8, the curve top-point will move towards 0.43-0.44.

Tylstrup, 10 cm.

Field cap. is set to pF2.

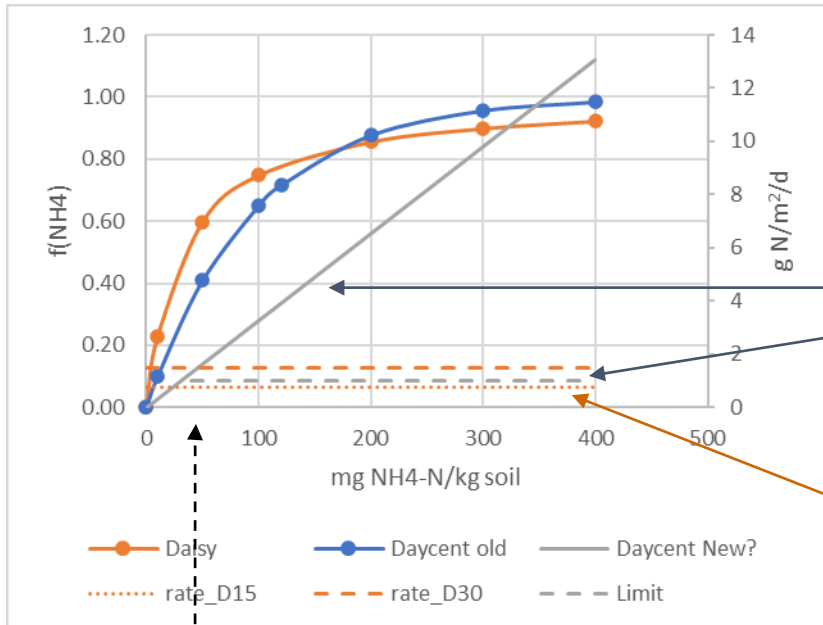
Nitrification- pH, overall level, and N₂O



pH-relationship for Daycent

Daisy does not have a pH-relationship.

Absolute rates of nitrification??



Daisy: $K_{max} * f(NH_4) * \mathbf{f(T)} * f(pF)$

Daycent: $0.1 \text{ gN/ha/day} + K_{max} * f(NH_4) * \mathbf{f(T)} * f(\theta) * f(pH)$

$K_{max} \text{ (Daycent)} = 0.15 \text{ g N/m}^2/\text{day} (?)$

$K_{max} \text{ (Daisy)} = 2.08E-7 \text{ g N/cm}^3/\text{h}.$

For 15 cm of soil: $0.749 \text{ g N/m}^2/\text{day}$

-----100 kg NH4-N/ha = $10 \text{ g/m}^2 \sim 50 \text{ mg N/kg soil}$

N₂O = 2% of nitrification (Daisy – and Daycent?)

Denitrification

Daycent

$$R_d = \min(F_d(\text{NO}_3), F_d(\text{CO}_2)) \cdot F_d(\text{WFPS})$$

Originally, the equations were simple:

$$F_d(\text{NO}_3) [\mu\text{g N/g soil}] = 1.15 \cdot C_{\text{NO}_3}^{0.57} [\mu\text{g N/g soil}]$$

$$F_d(\text{CO}_2) [\mu\text{g N/g soil}] = 0.1 \cdot \text{CO}_2^{1.3} [\mu\text{g C/g soil}]$$

$F_d(\text{WFPS})$: longer story, see below

No temperature function

BUT there are changes.

Daisy

$$R_d = \min(F_d(\text{NO}_3), F_d(\text{CO}_2)) \cdot F_d(\text{WFPS}) \cdot F_d(\text{T})$$

$$F_d(\text{NO}_3) = 0.02833 [\text{h}^{-1}] * \text{conc. of NO}_3^- \text{-N in soil [g cm}^{-3}]$$

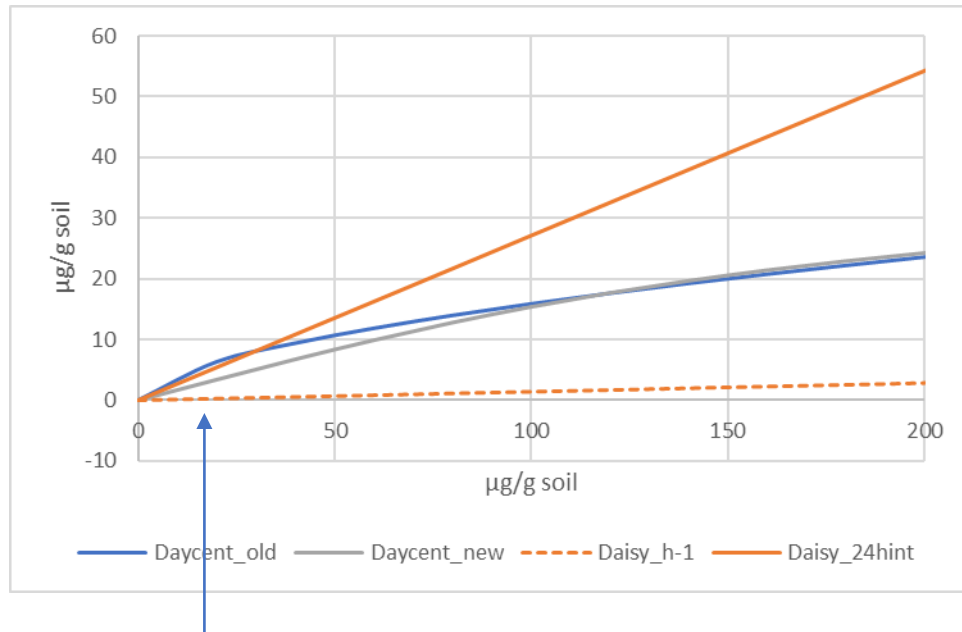
$$F_d(\text{CO}_2) = \alpha^* * \text{g CO}_2\text{-C/h (/cm}^3\text{) from the OM-module}$$

$$\alpha^* = 0.1 [(\text{g NO}_3\text{-N/h})/(\text{g CO}_2\text{-C/h})] \text{ (default)}$$

$F_d(\text{WFPS})$: see below

$F_d(\text{T})$: same as for nitrification

Denitrification, $F_d(\text{NO}_3)$



Daisy_24hint: integration of hourly rate over 24 h

I expect concentrations below 50 to be most common: (40 % water, 50 mg/l, topsoil with $BD=1.45 \sim \mathbf{14 \text{ NO}_3\text{-N } \mu\text{g/g soil}}$).

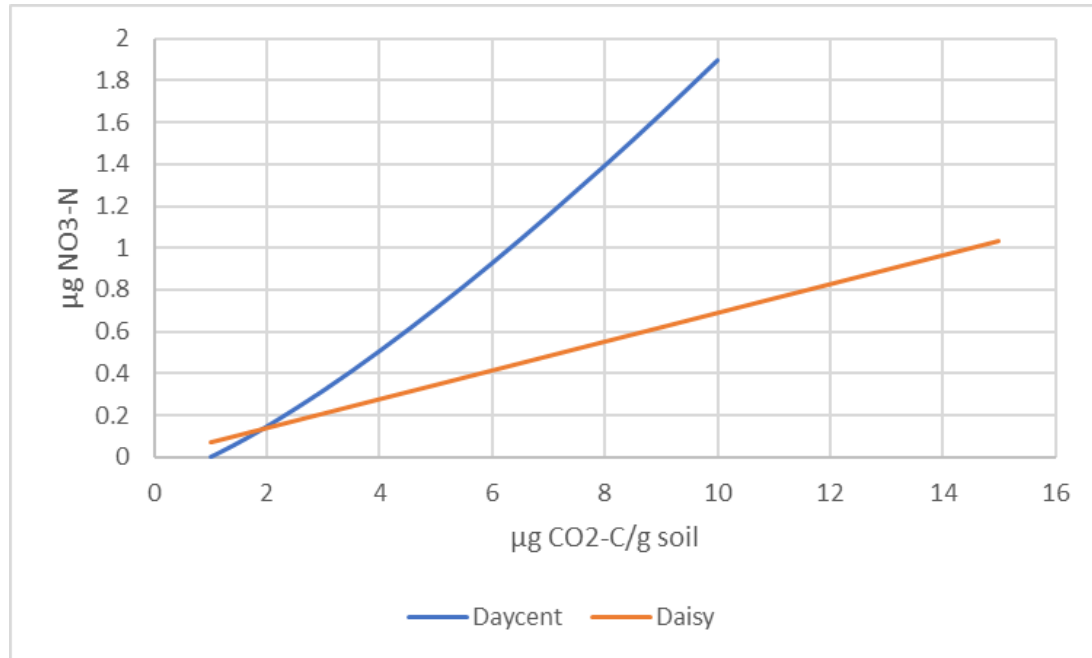
Old Daycent and Daisy_24hint quite similar in the relevant range.

New Daycent lower.

Daycent, new function

$$F_d(\text{NO}_3) = \max(0.0; 1.556 + 76.91/\pi * \arctan[\pi * 0.00222(C_{\text{NO}_3} - 9.23)])$$

Denitrification – Dependency on CO₂



Several jokers here:

- Orange line, CO₂-conc/g recalculated to cm³ using BD=1.45 g/cm³.
- Soil depth?

Daycent seems to calculate per day (high x-value), while Daisy calculates per hour (low x-value).

Yearly average ~ 4 µg CO₂-C/g soil

Daycent uses a corrected CO₂-conc. A threshold is calculated: WFPS 0.8 or a bit lower). If below the threshold, no correction. If higher than threshold, it is increased (factor 1-maybe 1.1), higher with low diffusivity and close to saturation.

Denitrification- dependency on water content

Daycent

Parton et al. 2001,

$F_d(\text{WFPS}) = 0$ for $\text{WFPS} < 55\%$, and

$F_d(\text{WFPS}) = 0.5 + \frac{\text{atan}(0.6\pi(0.1x - a))}{\pi}$ for $\text{WFPS} \geq 55\%$.

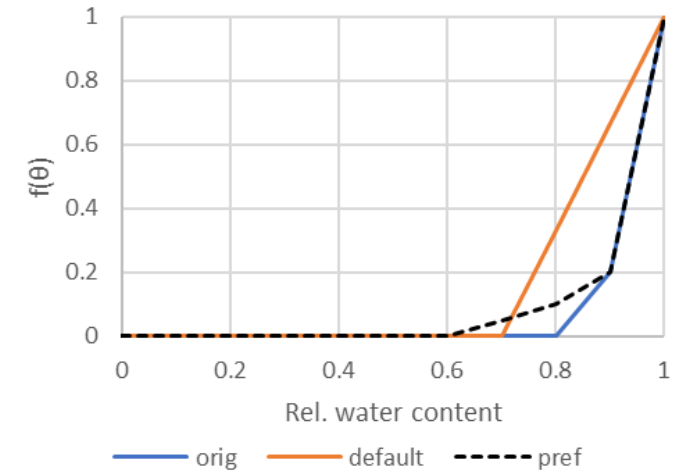
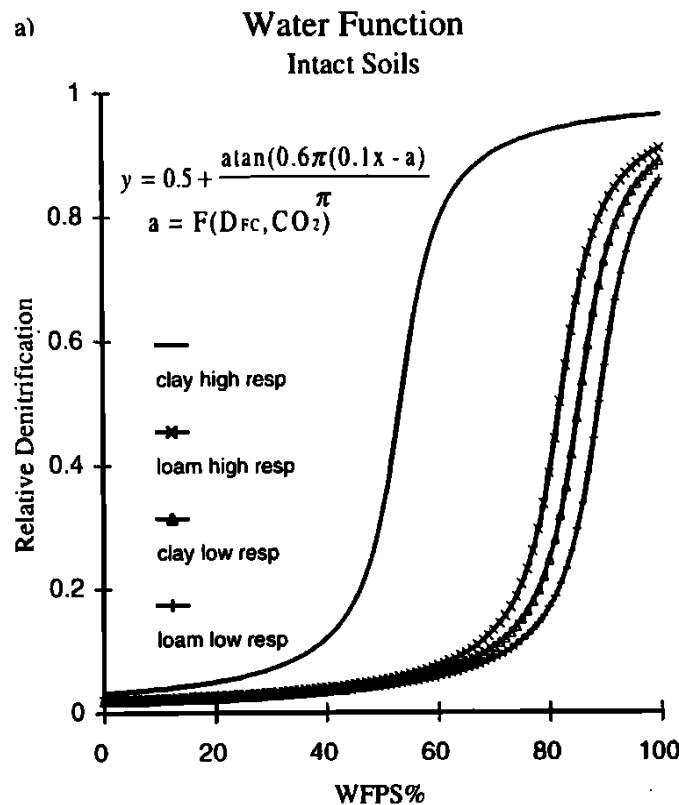
$X = \text{WFPS}$, $a = f(\text{soil gas diffusion and heterotrophic respiration})$.

Implemented:

$fD_{wfps} = \max(0.0, (0.45 + \text{atan}(0.6 * \text{PI} * (10.0 * \text{layers} \rightarrow \text{wfps}[\text{ilyr}] - x_{\text{inflection}})) / \text{PI}))$;

Daisy:

Dependency on relative water content, 3 examples



Denitrification- dependency on water content

Daycent – calculation of inflection point:

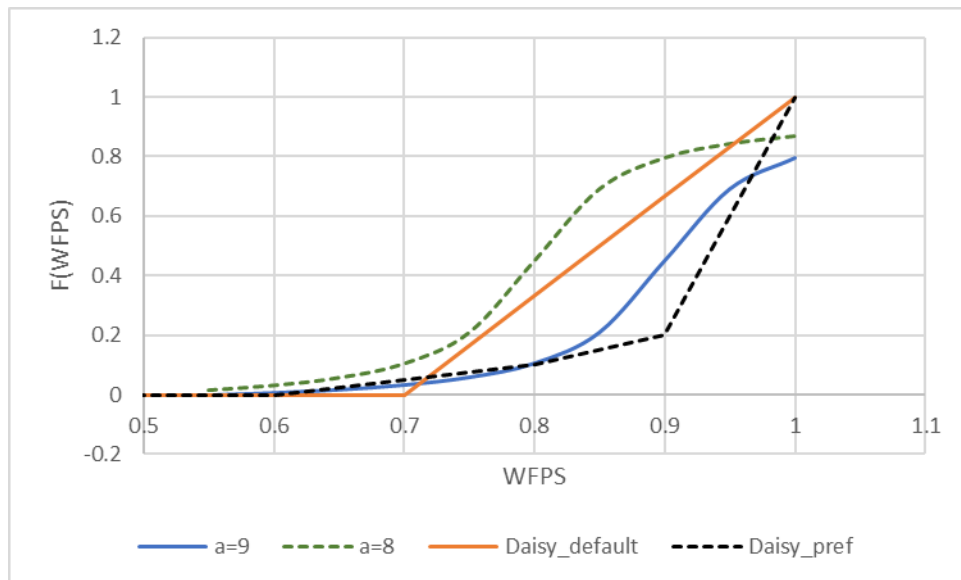
Del Grosso (2000)

$x_{\text{inflection}} = 0.90 - M \cdot (\text{CO}_2)$ and $M = \min(0.113, D_{\text{FC}}) \cdot (-3.05) + 0.36$, (D_{FC} not relative.)

In the "old" code:

`x_inflection = (9.0 - (min(0.113, dD0_fc) * (-1.25) + 0.145) * (double)co2_correction[ilyr]) * (double)sitepar->wfpsdnitadj`

Correction from earlier Site specific adjustment



Denitrification

Daycent

$$R_d = \min(F_d(\text{NO}_3), F_d(\text{CO}_2)) \cdot F_d(\text{WFPS})$$

$F_d(\text{NO}_3)$: used to be quite similar, now Daycent is a bit lower in the relevant range

$F_d(\text{CO}_2)$: higher in Daycent

$F_d(\text{WFPS})$: not that different

$F_d(\text{T})$: May be a joker that increases denitrification in Daisy [can be user defined]. It slows down the process below 10 °C, increases to 2 at 20 °C and 2.72 at 25 °C.

Daisy

$$R_d = \min(F_d(\text{NO}_3), F_d(\text{CO}_2)) \cdot F_d(\text{WFPS}) \cdot F_d(\text{T})$$

N₂O-fraction of denitrification – only Daycent

N₂O-release from denitrification

According to **Del Grosso (2000)**, the ratio between N₂ and N₂O can be calculated (conc in ppm)

$$\text{Ratio}(N_2/N_2O) = F_r(NO_3/CO_2) * F_r(WFPS)$$

$$F_r(NO_3/CO_2) = \max(0.16 \cdot k_1, k_1 \cdot \exp((-0.8 \cdot C_{NO_3})/CO_2)) ;$$

$$k_1 = \max(1.7, 38.4 - 350 \cdot D_{FC})$$

$$F_r(WFPS) = \max(0.1, 1.5 \cdot WFPS - 0.32) \quad (\text{WFPS in fraction here, intact soil})$$

$$N_2O\text{-loss} = R_d / (1 + \text{Ratio}(N_2/N_2O))$$

In the code:

If $C_{NO_3} > CO_2 \cdot \log(0.16) / (-0.8)$; $F_r(NO_3/CO_2) = 0.16 \cdot k_1$, else $k_1 \cdot \exp((-0.8 \cdot C_{NO_3})/CO_2)$; $k_1 = \max(1.5, 38.4 - 350 \cdot D_{FC})$;

$$\text{Ratio}(N_2/N_2O) = \max(0.1, F_r(NO_3/CO_2) * F_r(WFPS) * \text{sitepar} \rightarrow N2N2Oadj)$$

Special ratio for flooded areas (input ?)

Daycent also calculates NOx (according to del Grosso)

$$RNOx = 15.2 + (35.5 \cdot \text{atan}(0.68 \pi(10 \cdot D/D_0 - 1.86))) / \pi,$$

- RNOx = the ratio of NOx to N₂O fluxes and
- D/D₀ is the soil gas diffusivity.

$$NOx = RNOx \cdot N_2O_{den} + RNOx \cdot N_2O_{nit} \cdot P$$

I could not locate this code.

Daycent assumes a multiplier as $f(\text{precipitation, time})$

Soil is dry if it received less than 1 cm of precipitation during the previous 2 weeks. The magnitude and duration of the pulse are functions of the amount of precipitation received and the number of days since the event:

If $0.1\text{cm} < \text{precipitation} < 0.5\text{cm}$, then $P = 11.19e^{-0.805 \cdot \text{day}}$, where $1 < \text{day} < 3$;

if $0.5\text{cm} < \text{precipitation} < 1.5\text{cm}$, then $P = 14.68 e^{-0.384 \cdot \text{day}}$, where $1 < \text{day} < 7$;

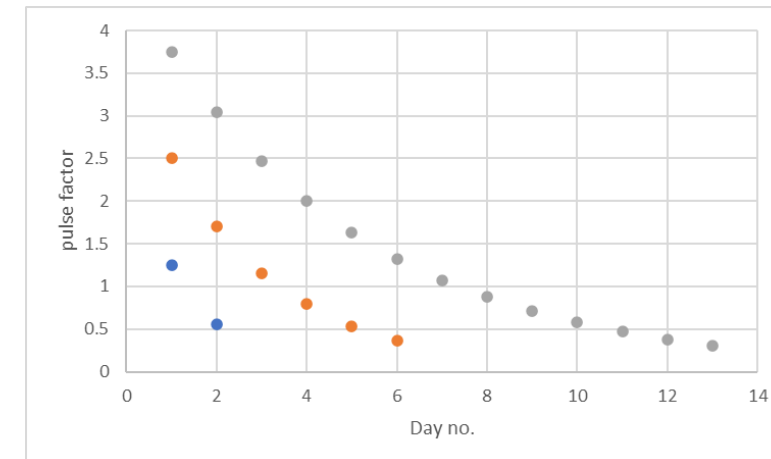
if precipitation $> 1.5\text{cm}$, then $P = 18.46e^{-0.208 \cdot \text{day}}$, where $1 < \text{day} < 14$.

In the code changed to:

If $0.1\text{cm} < \text{precipitation} < 0.5\text{cm}$, $pl[\text{indx}] = 2.8 * \exp(-0.805 * (ii+1))$; $1 < \text{day} < 3$

$0.5\text{cm} < \text{precipitation} < 1.5\text{cm}$, $pm[\text{indx}] = 3.67 * \exp(-0.384 * (ii+1))$; where $1 < \text{day} < 7$

precipitation $> 1.5\text{cm}$; $ph[\text{indx}] = 4.615 * \exp(-0.208 * (ii+1))$; where $1 < \text{day} < 14$.



For experimentalists

To make sense of your data, you need time series of:

- The water content
- The temperature
- Ammonium and nitrate concentrations
- CO₂ – or something about organic matter amounts and dynamics
- (pH)
- And hydraulic properties/diffusion relationships would be nice.

That was as far as I could get!

Questions?